

# PMP PARSize

## Views and Calculations of Particle Size Distributions



### THE PARTICLE SIZE DISTRIBUTION

The mass related particle size distribution  $Q_3(x)$  is the most important grading information for describing homogeneous grainy materials.

PMP PARSize reflects this information as a discrete  $Q(x)$  distribution. For this, an arbitrary subdivision of the particle size range into size classes will be supported. The separate and independent administration of different particle size sequences enables both, a simple individual adaptation of the  $Q(x)$ -Distribution and the standardization of the data which have been supplied by different sources.

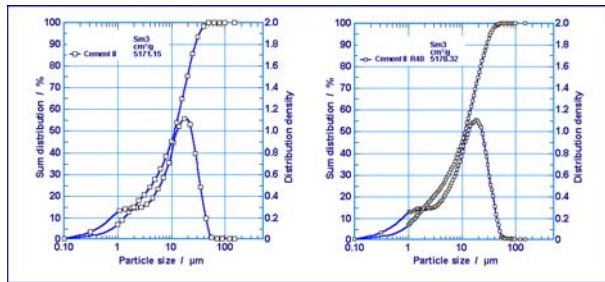


Fig 1: Conversion of particle size distributions from a subdivision R10 (left fig.) into a finer R40 sequence (right fig.).

**Attention!** The linear interpolation results in a smooth cumulative curve and a rough distribution density curve. Therefore in PMP a smoothing method is applied, which ensures that the distribution density curve will be also sufficiently smooth and the  $Q(x)$ -Distribution doesn't change significantly.

The  $Q(x)$  distribution can be displayed in graphs and in tables according to ISO 9276-1 standard as

- ◆ particle size distributions  $Q(x)$
- ◆ cumulative oversize curve  $1-Q(x)$
- ◆ linear distribution density  $q(x)$
- ◆ logarithmic distribution density  $q^*(x)$
- ◆ fractions (stand. and mass related)  $p(x)$

Different grids are available for the graphical display:

- ◆ linear grid
- ◆ semi-logarithmic grid
- ◆ full-logarithmic grid
- ◆ RRSB- (Weibull) grid
- ◆ probability grid
- ◆ square root grid

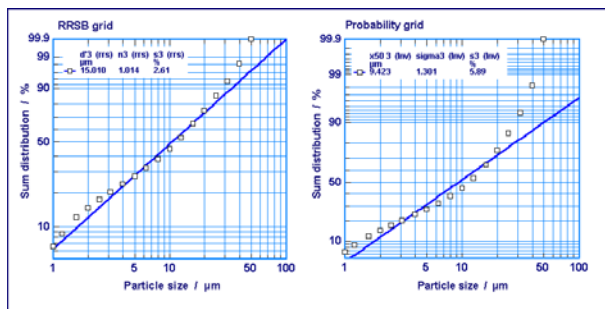


Fig. 2: Representation of a  $Q(x)$ -Distribution in a RRSB-Grid (left) and in a probability grid (right).

### CHARACTERISTICS

#### ACCORDING TO DIN 66141

Apart from the discrete  $Q(x)$ -Distribution the following characteristic values can be calculated:

- ◆  $Q(x^*)$  values for arbitrary particle sizes  $x^*$
- ◆  $x(Q^*)$  values for arbitrary  $Q^*$  values
- ◆ mean particle size
- ◆ Sauter-Diameter
- ◆ volume- or mass related surface
- ◆ Blaine surface using a calibration curve
- ◆ standard deviation (distribution width)

The calculation will be effected automatically on each change in the  $Q(x)$ -Distribution. The characteristics to be determined can be specified locally and globally, so that an individual and uniform calculation is ensured.

The calculations consider:

- ◆ the material density
- ◆ the particle shape or sphericity
- ◆ the work index
- ◆ the bulk density or porosity

All characteristic values can be displayed in the diagram legend or in the table appendix respectively together with the  $Q(x)$ -Distribution.

### FUNCTIONAL APPROACHES

For data reduction purposes the discrete  $Q(x)$ -Distributions can be approximated by the following functional approaches:

- ◆ RRSB-Distribution
- ◆ Log-normal distribution
- ◆ GGS power distribution

Optionally, all characteristic values can be calculated via the selected approximating function.

### EVALUATION OF EXPERIMENTAL SERIES

The  $Q(x)$ -Distributions of experimental series are administered together in so called PMP-Projects. This enables applying all visualisation methods for an arbitrary combination of the individual material objects. Important relations and trends can be determined by means of the module PMP AC.

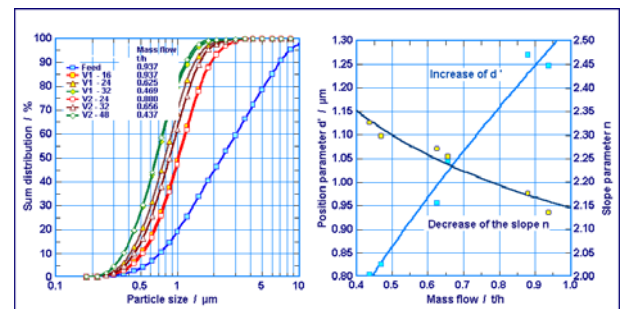


Fig 3: Common display of all  $Q(x)$ -Distributions from a series of grinding experiments (left). Mass flow influence on the RRSB parameters  $d'$  and  $n$  (right).